

NAME SOLUTION

ECE 202  
EXAM III  
AUG. 11, '06

<u>PROBLEM</u>	<u>POINTS</u>	<u>SCORE</u>
1	25	_____
2	25	_____
3	25	_____
4	<u>25</u>	<u>_____</u>
	100	<u>_____</u>

NOTE:

- 1) YOU MUST PLACE YOUR ANSWERS ON THE LINES PROVIDED.
- 2) SOME ANSWERS MAY HAVE LITTLE OR NO PARTIAL CREDIT. PLEASE CHECK YOUR WORK.
- 3) SOME ANSWERS MAY HAVE PARTIAL CREDIT, SO PLEASE SHOW YOUR WORK.
- 4) THIS EXAM HAS 4 PROBLEMS. CHECK TO SEE YOU HAVE 4 PROBLEMS.
- 5) ALL ANSWERS THAT HAVE UNITS MUST BE INDICATED. ALL ANSWERS MUST BE IN DECIMAL FORM AND IN ENGINEERING NOTATION.
- 6) WHEN YOU STAND-UP TO TURN-IN YOUR EXAM, YOU WILL NOT BE ALLOWED TO CHANGE YOUR ANSWERS.

1)

- A) If a circuit is stable, what can be said about the natural poles of this circuit? Please answer in a complete sentence.

THE NATURAL POLES OF A STABLE CIRCUIT ARE LOCATED IN THE LEFT HALF OF THE S-PLANE.

- B) What is the meaning of the word "port"? Please answer in a complete sentence.

A PORT IS A PAIR OF TERMINALS.

- C) A linear circuit has an impulse response

$$h(t) = 4 e^{-3t} u(t)$$

Use the convolution integral to find the zero-state response for

$$x(t) = 6 e^{-2t} u(t).$$

$$\begin{aligned} y(t) &= \int_0^t h(t-\tau) x(\tau) d\tau = \int_0^t 4 e^{-3(t-\tau)} \cdot 6 e^{-2\tau} d\tau \\ &= 24 \int_0^t e^{-3t} e^{+3\tau} e^{-2\tau} d\tau = 24 e^{-3t} \int_0^t e^{\tau} d\tau \\ &= 24 e^{-3t} e^{\tau} \Big|_0^t = 24 e^{-3t} [e^t - e^0] \\ &= 24 e^{-3t} [e^t - 1] = 24 e^{-2t} - 24 e^{-3t} \quad t > 0 \end{aligned}$$

$$y(t) = \underline{24 [e^{-2t} - e^{-3t}] u(t)}$$

- E) Given a series RC circuit with  $R = 6\Omega$  and  $C = 5 \text{ F}$ , magnitude scale the impedance of this series circuit by 68 k. What are the new values of R and C?

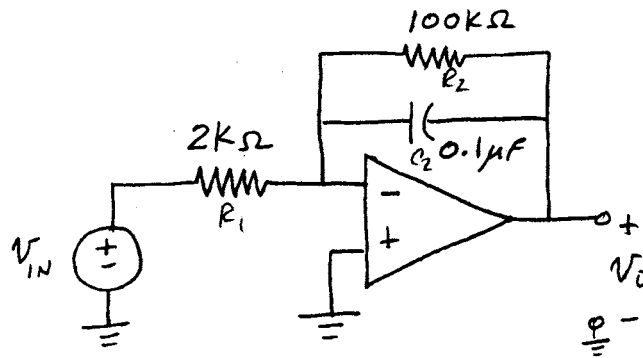
$$R \leftarrow R(68\text{k}) = (6)(68\text{k})$$

$$R = \underline{408 \text{ k}\Omega}$$

$$C \leftarrow C \frac{1}{68\text{k}} = \frac{5}{68\text{k}}$$

$$C = \underline{73.53 \mu\text{F}}$$

2) GIVEN



A) FIND  $T_V(s) = \frac{V_O(s)}{V_{IN}(s)}$

$$\frac{V_O}{V_{IN}} = - \frac{1}{sC_2 + \frac{1}{R_2}} \frac{1}{R_1} = - \frac{1}{s + \frac{1}{R_2 C_2}}$$

$$= - \frac{\frac{1}{(2K)(0.1\mu)}}{s + \frac{1}{(100K)(0.1\mu)}}$$

$$\frac{V_O}{V_{IN}} = - \frac{5K}{s + 100}$$

B) FIND  $V_O(t)$  FOR A STEP OF 0.1 V

$$V_O = \frac{-5K}{s+100} V_{IN} = \frac{-5K}{s+100} \frac{0.1}{s} = \frac{-500}{s(s+100)}$$

$$= \frac{k_1}{s} + \frac{k_2}{s+100}$$

$$k_1 = s \frac{-500}{s(s+100)} \Big|_{s=0} = \frac{-500}{100} = -5$$

$$k_2 = (s+100) \frac{-500}{s(s+100)} \Big|_{s=-100} = \frac{-500}{-100} = 5$$

← NOTE  
 $k_1 + k_2 = 0$

$$V_O = \frac{-5}{s} + \frac{5}{s+100}$$

$$V_O(t) = [-5 + 5e^{-100t}] u(t)$$

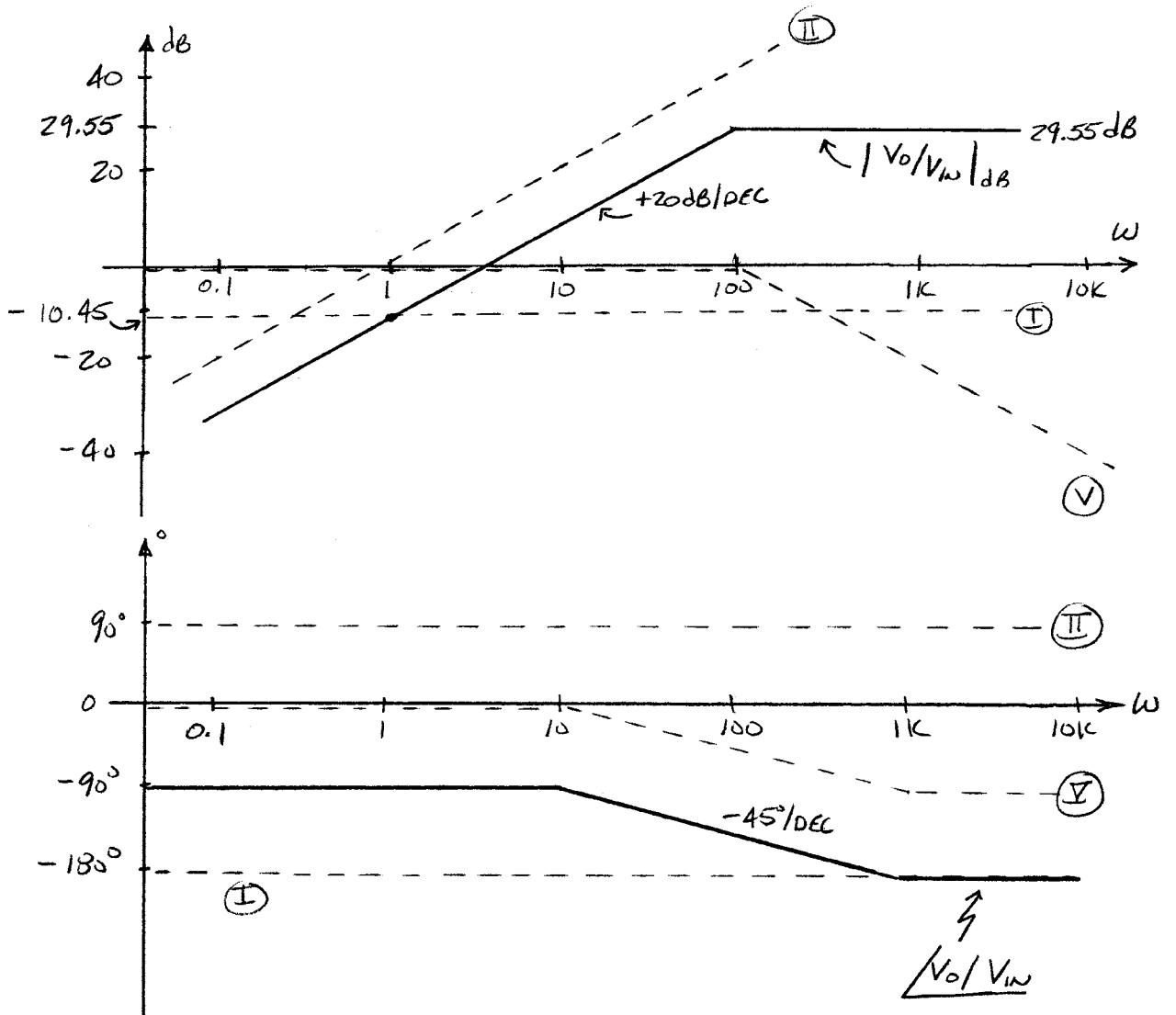
$$\underline{V_O(t) = [-5 + 5e^{-t/10m}] u(t) \text{ V}}$$

3) GIVEN  $\frac{V_o}{V_{in}} = \frac{-30s}{s+100}$ . PLOT  $\left| \frac{V_o}{V_{in}} \right|_{dB}$  AND

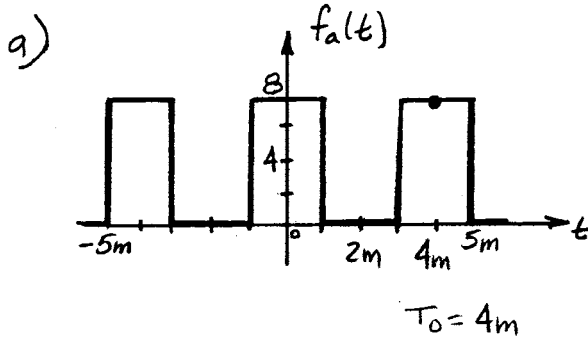
$\angle \frac{V_o}{V_{in}}$  VERSUS  $\omega$ . MAKE YOUR OWN LOG PAPER.

PLOT FORMS WITH A --- LINE AND THE FINAL PLOT WITH A SOLID LINE. LABEL ALL FINAL SLOPES AND LEVELS.

$$\frac{V_o}{V_{in}} \Big|_{s=j\omega} = \frac{-30j\omega}{j\omega+100} = \underbrace{\frac{-30}{100}}_{\textcircled{I}} \underbrace{j\omega}_{\textcircled{II}} \underbrace{\frac{1}{1+j\omega/100}}_{\textcircled{V}}$$



4) GIVEN THE FOLLOWING WAVEFORMS, DETERMINE IF THERE IS A) NO SYMMETRY, B) ODD SYMMETRY, C) EVEN SYMMETRY AND/OR D) HALF-WAVE SYMMETRY. EXPLAIN WHY BY USING THE POINT • INDICATED.



SYMMETRY:

EVEN

WHY:

$$f(t) = f(4m) = 8$$

$$f(-t) = f(-4m) = 8$$

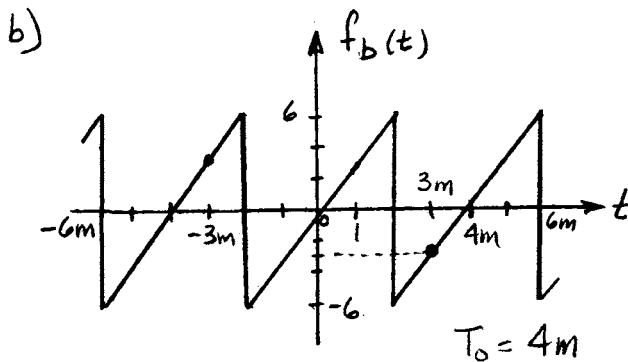
$$\therefore f(t) = f(-t)$$

$$f(t - T_0/2) = f(4m - \frac{4m}{2})$$

$$f(2m) = 0$$

$$\therefore f(t) \neq -f(t - T_0/2)$$

NOT  
REQUIRED



SYMMETRY:

ODD

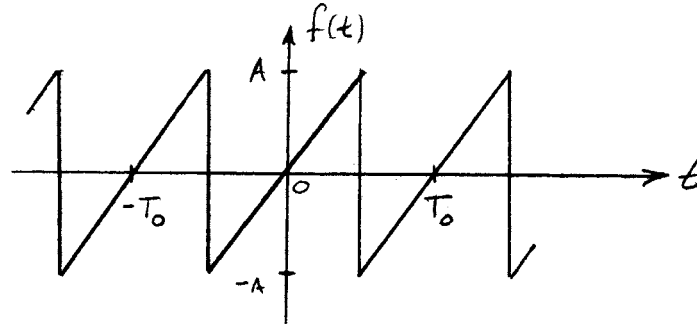
WHY:

$$f(t) = f(3m) = -3$$

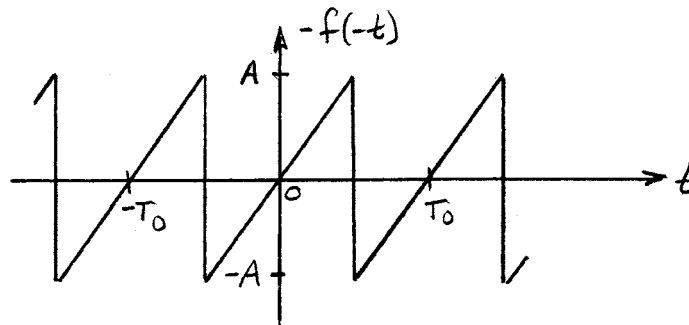
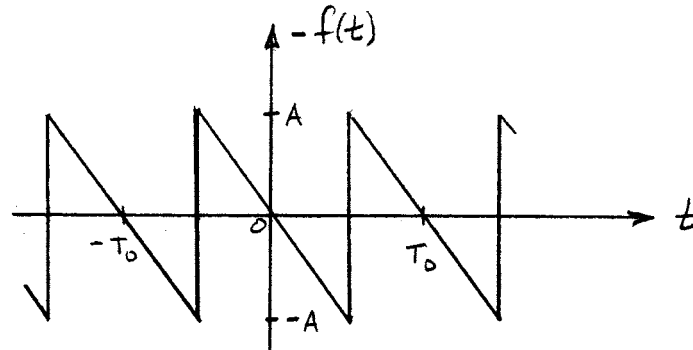
$$-f(-t) = -f(-3m) = -[3]$$

$$\therefore f(t) = -f(-t)$$

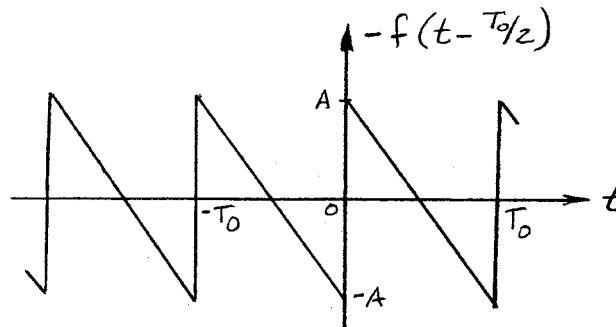
513.4) GRAPHICALLY SHOW THAT  $f(t)$  HAS ODD SYMMETRY AND DOES NOT HAVE HALF-WAVE SYMMETRY.



SOLUTION:



$= f(t)$   
 $\therefore$  ODD SYMMETRY



$\neq f(t)$   
 $\therefore$  NO HALF-WAVE SYMMETRY